

# Collision geometry and breakup determination in eA collisions

Wan Chang @ BNL & CCNU

Joint CFNS & RBRC Workshop on Physics and  
Detector Requirements at Zero-Degree of Colliders

September 24-26, 2019



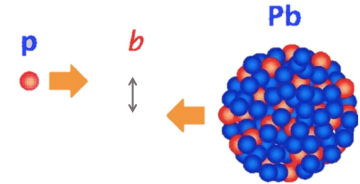
# Outline

---

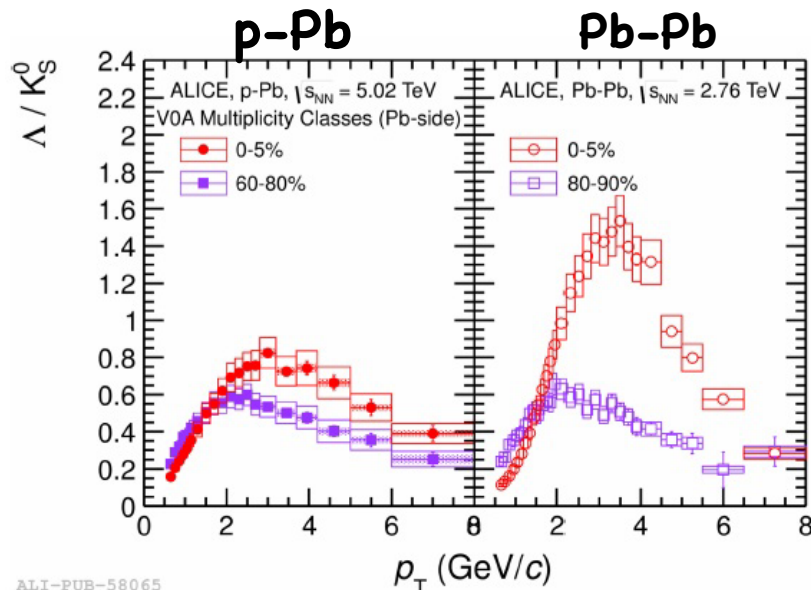
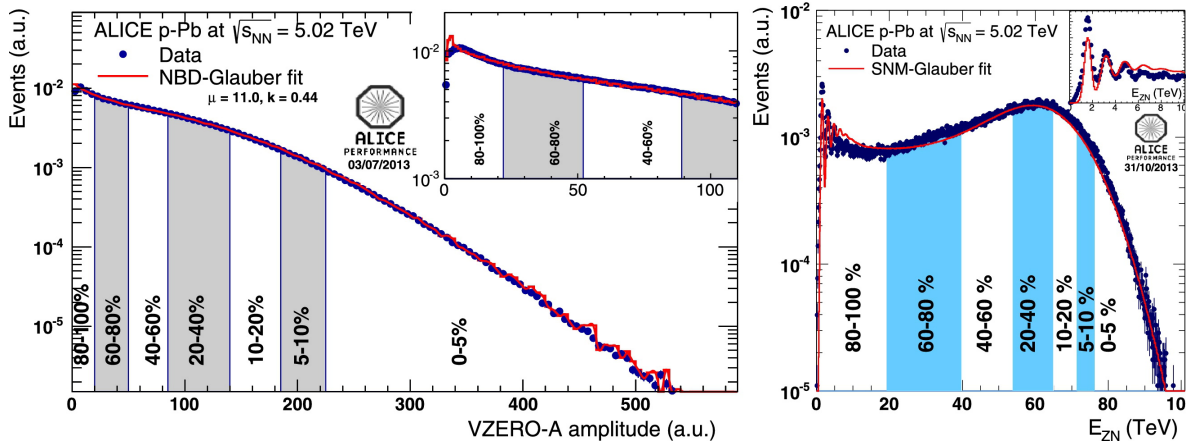
- ❑ Motivations
- ❑ Collision geometry definition
- ❑ BeAGLE simulation framework
- ❑ Constraint on the eA collision geometry
- ❑ Summary

# Motivation

- Centrality is an important variable in heavy ion physics and it's an experimental handle to the collision geometry.
- Various nuclear effects depend on the collision geometry.

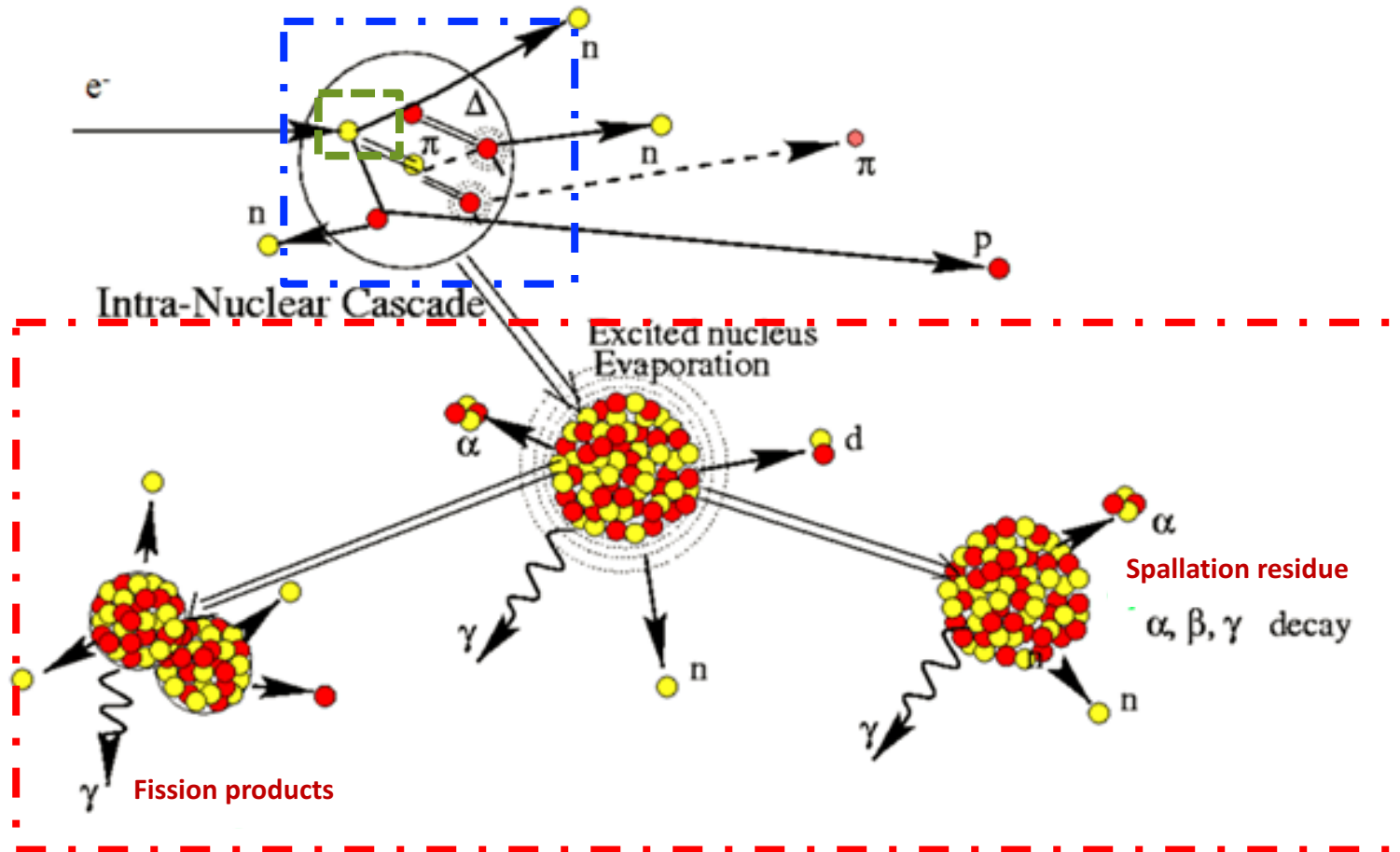


In heavy ion collisions, the centrality can be estimated by measuring either the charged particle **multiplicity** or the **zero degree energy**.



Can we also define centrality in eA?  
**Yes!**

# Collision geometry definition



1. Deep inelastic scattering off a nucleon: **primary interaction**
2. Intra-nuclear cascade process: **secondary interactions**
3. Nuclear remnant breaks up depending on the excitation: **evaporation**

How to define the centrality in eA? ➡

# Collision geometry definition

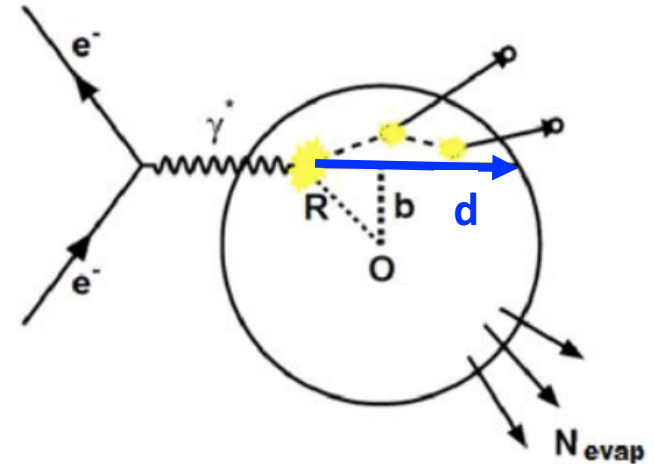
Three relevant quantities to describe the collision geometry:

- $b$ : impact parameter
- $d$ : the projected virtual photon traveling length

- Nuclear thickness:

$$T(b)/\rho_0 = \int_{-\infty}^{+\infty} dz \rho(b, z)/\rho_0 \text{ in fm}$$

$\rho_0$  is the nucleon density in the center of the nucleus



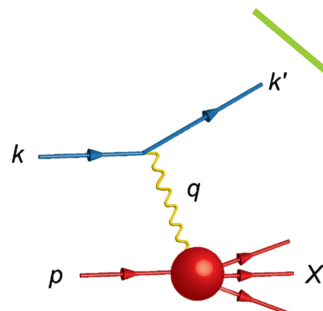
$N_{\text{evap}}$ : number of particles (neutrons) from evaporation.

Formation time:  $\tau = \tau_0 \frac{E}{m} \frac{m^2}{m^2 + p_{\perp}^2}$ ,  $\tau_0$  is a free formation length parameter.

The larger  $d$  is, the more nucleons are expected to be removed from the nuclear remnant, and the more neutrons can be emitted during the evaporation.

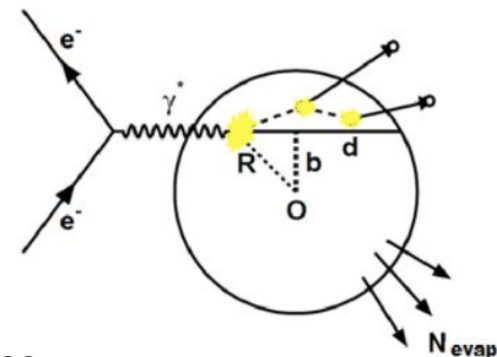
# BeAGLE simulation framework

We are using BeAGLE (**B**enchmark **eA** **G**enerator for **L**Eptoproduction) package for the  $e+A$  event simulation.

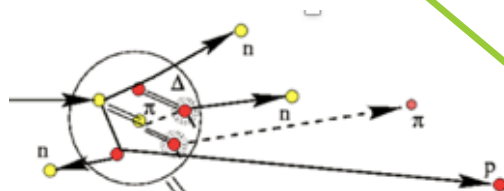


Primary interaction

Primary interaction treated by **PYTHIA** hard collision.

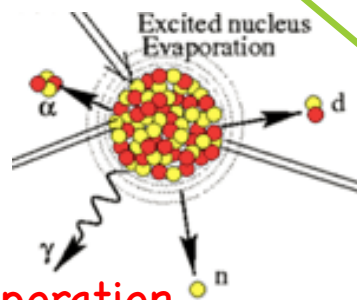


Cascade process handled by **DPMJET**.



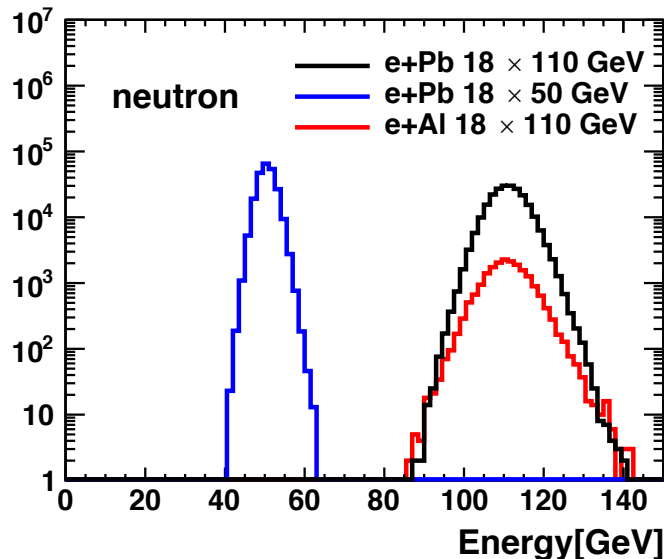
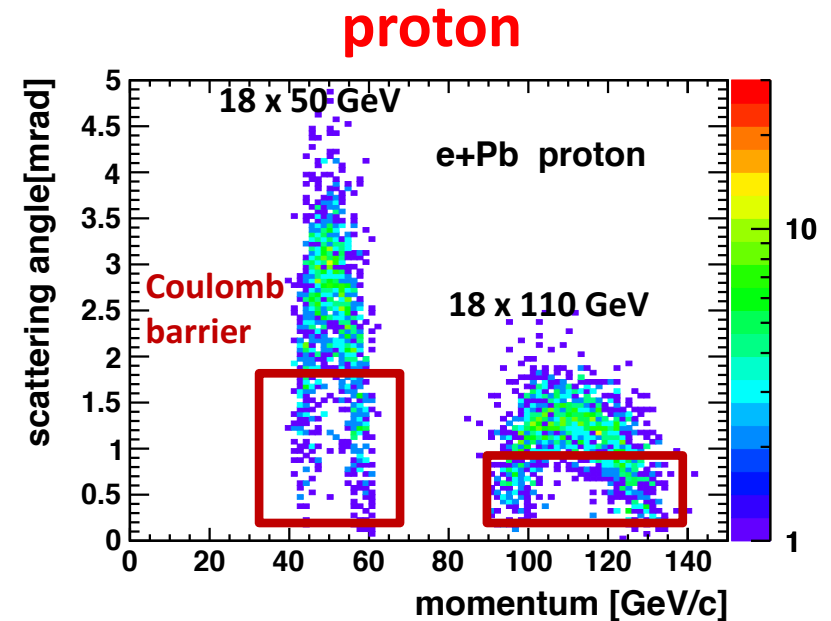
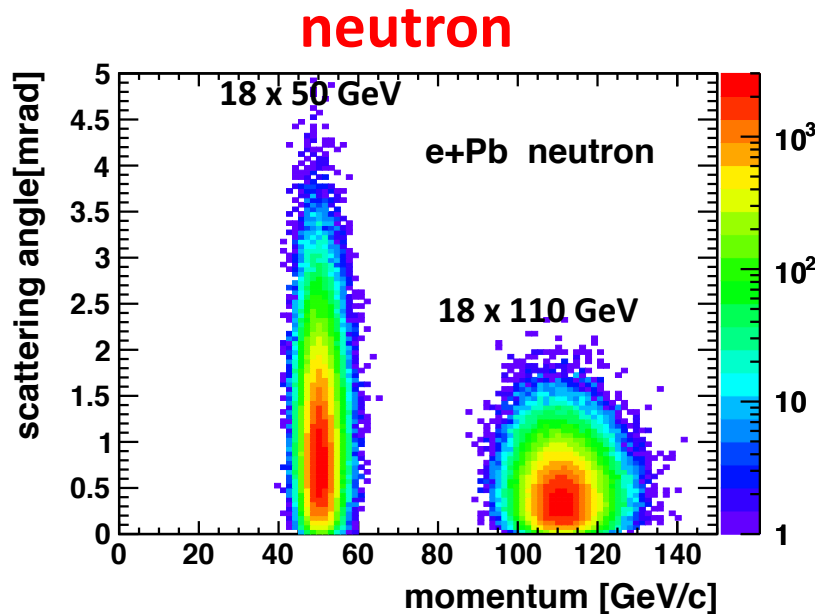
Intra-nuclear cascade

Target remnant evaporation and break up included by **FLUKA**.



Nuclear remnant evaporation

# Kinematics of evaporation neutrons and protons



- Evaporation neutrons and protons:
  - momentum (energy) is close to beam energy, scattering angle is small.
- Decreasing Beam Energy:
  - lower momentum, scattering angle is larger.
- Proton emission during evaporation process is greatly suppressed compared to that of neutrons.
- Energy doesn't depend on A.

# Measuring forward neutron

e+Pb 18 x 110 GeV

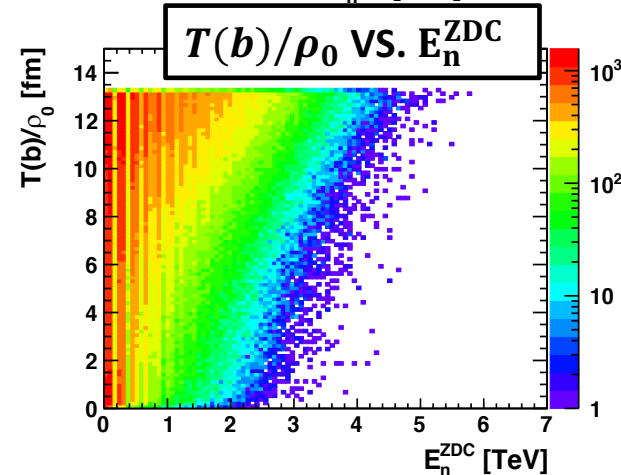
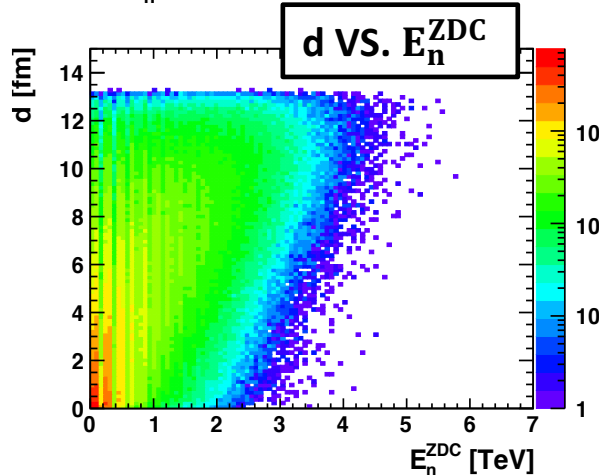
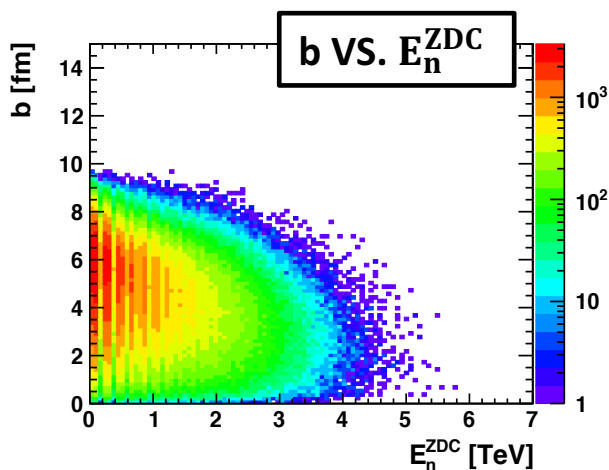
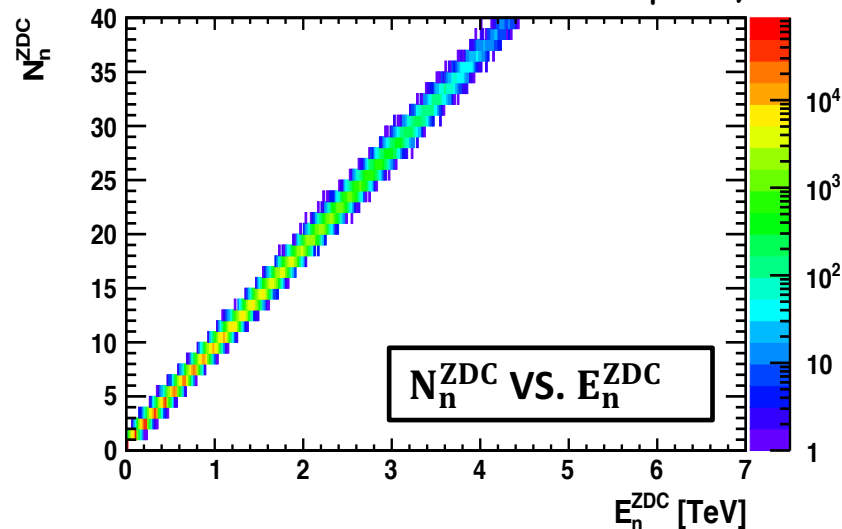
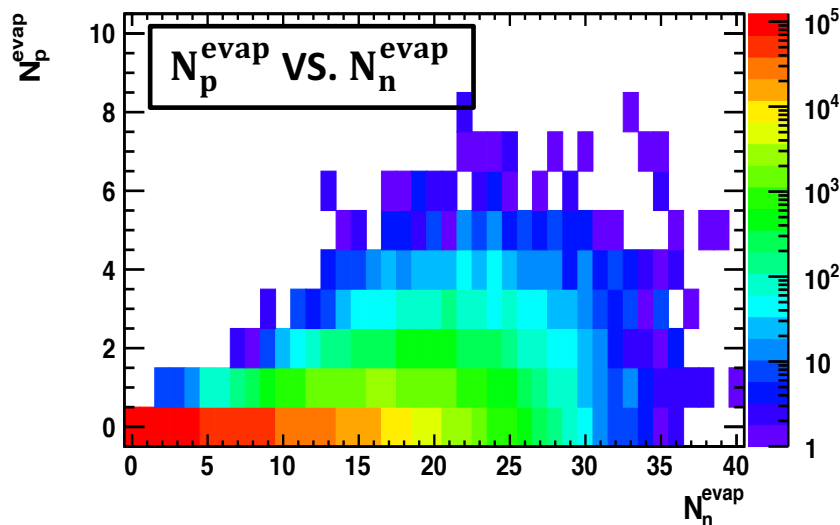
ZDC acceptance  $< \pm 4$  mrad

## Why neutrons

- Dominant products from evaporation
- Isolated by bending magnets

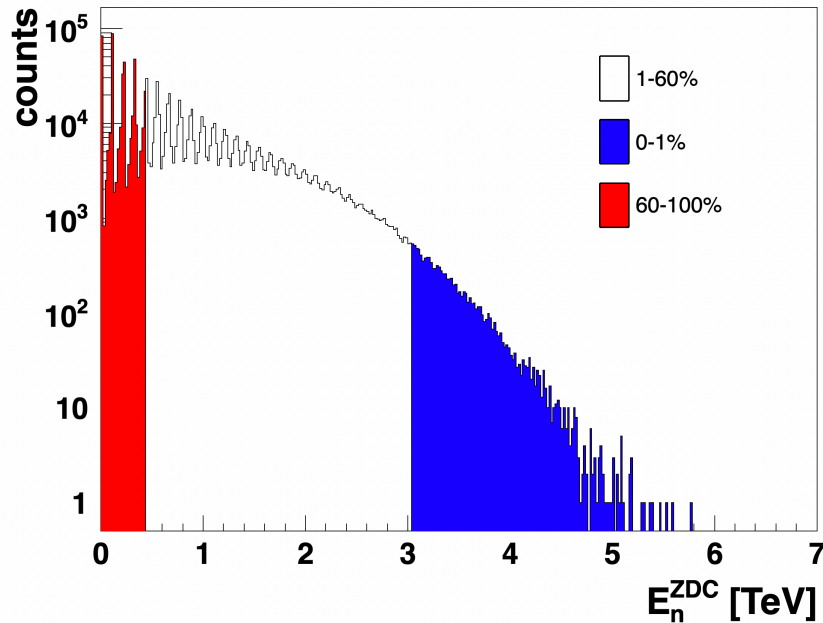
## How to measure

- Zero degree calorimeter (ZDC)
- Cover most forward rapidity





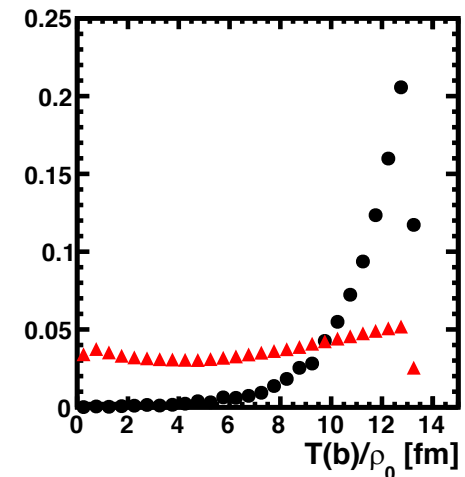
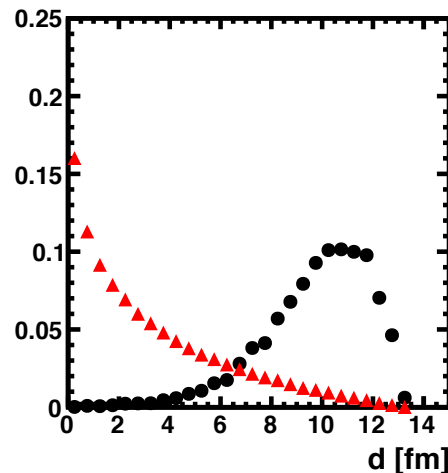
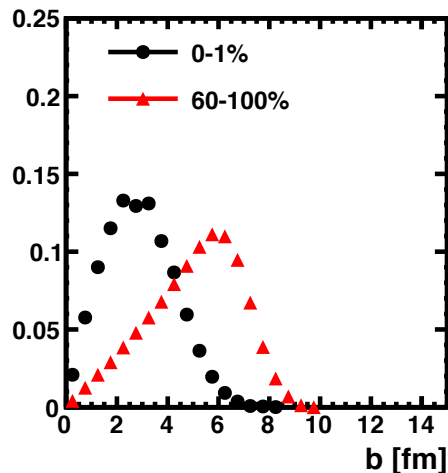
# Selection of centrality



- Centrality is selected by the energy deposition. 0-1% represents top 1% highest energy deposition.

	0-1%	60-100%
$E_n^{\text{ZDC}}$ [TeV]	>3.04	<0.42

$b$ ,  $d$ ,  $T(b)/\rho_0$  can be used as the probe of centrality in BeAGLE framework.

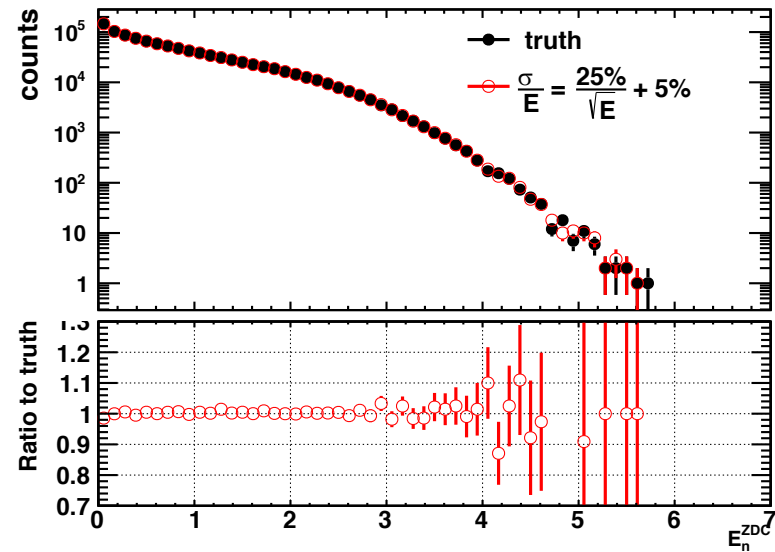
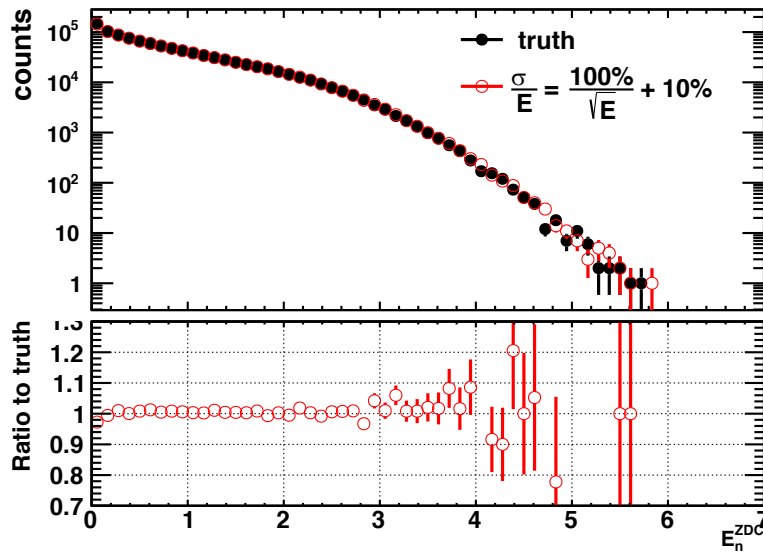


# Detector smearing

Energy resolution: 1.  $\frac{\sigma}{E} = \frac{100\%}{\sqrt{E}} + 10\%$

2.  $\frac{\sigma}{E} = \frac{25\%}{\sqrt{E}} + 5\%$

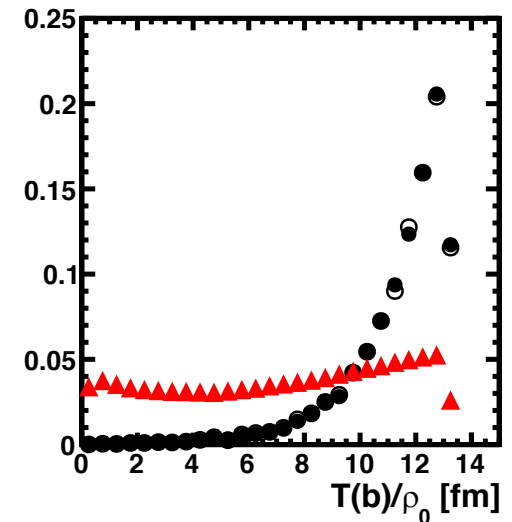
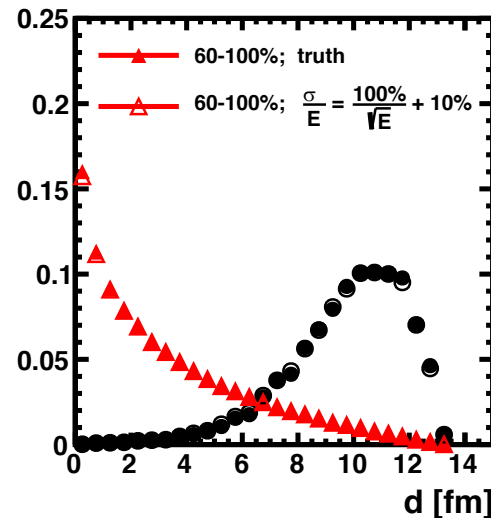
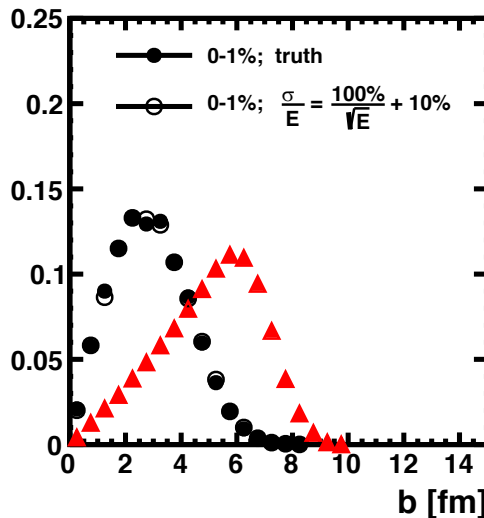
Smear each individual neutron by a Gaussian representing the resolution.



- The true distribution and the smeared one are almost identical.
- A higher resolution calorimeter is not required for this analysis.

# Detector smearing

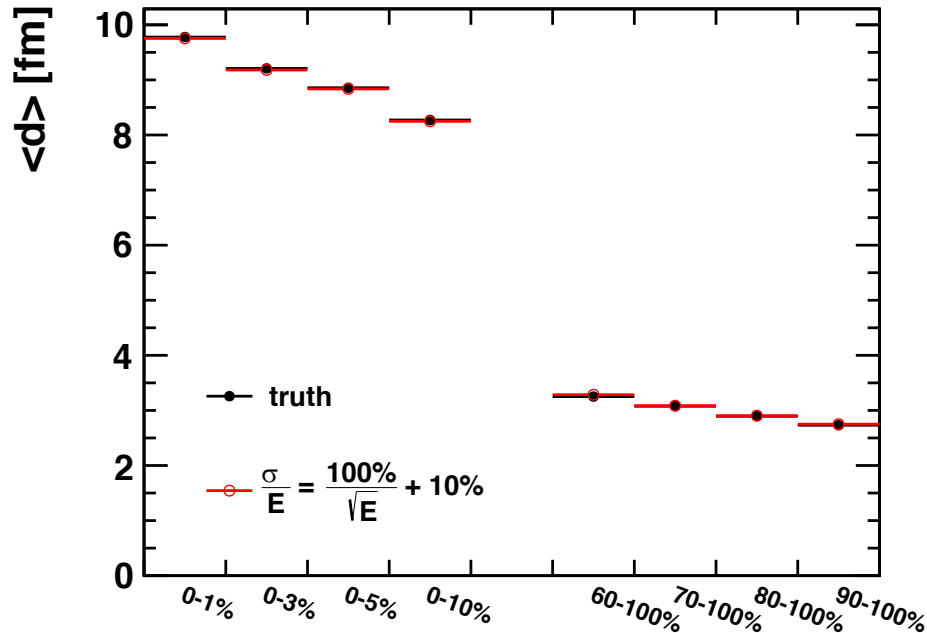
The  $b$ ,  $d$ ,  $T(b)/\rho_0$  comparison between generated and smeared distributions in **central** and **peripheral** collisions.



- The true distribution and the smeared one are almost identical.
- A higher resolution calorimeter is not required for this analysis.

# Detector smearing

The energy range for different centrality bins:



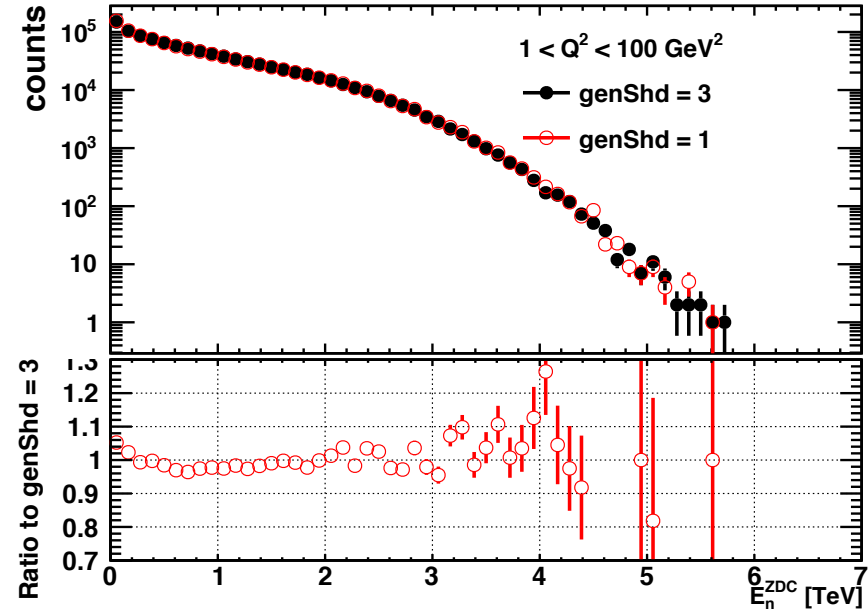
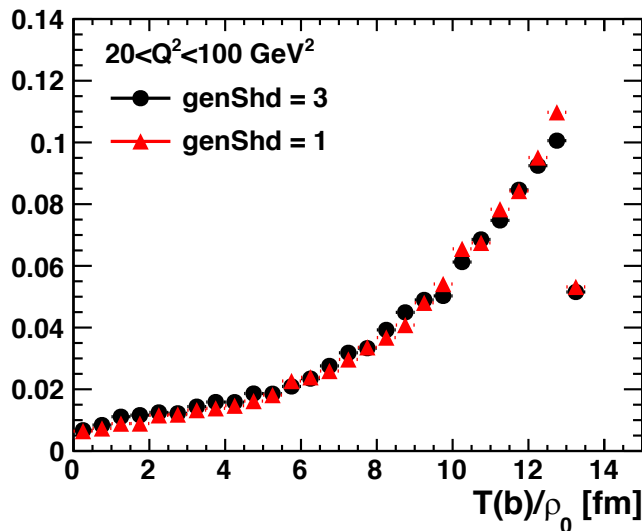
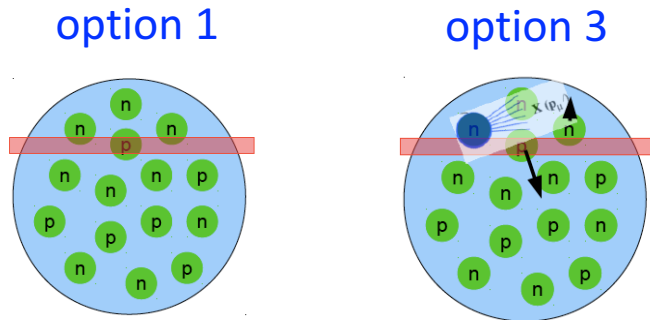
	truth	$\frac{\sigma}{E} = \frac{100\%}{\sqrt{E}} + 10\%$
0-1%	>3.04	>3.06
0-3%	>2.58	>2.58
0-5%	>2.32	>2.32
0-10%	>1.88	>1.88
60-100%	<0.42	<0.42
70-100%	<0.30	<0.28
80-100%	<0.18	<0.16
90-100%	<0.08	<0.06

- The average  $d$  decreases from 0-1%, 0-3% to 0-5%, 0-10%.
- The decreasing trend is not obvious in peripheral collisions.
- There is no difference between the true distribution and the smeared one.

# Shadowing effect

Shadowing option 1: One and only one nucleon participates in the interaction

Shadowing option 3: Multiple nucleons interact with photon. The first struck nucleon undergoes a hard scattering, any additional ones undergo an elastic scattering

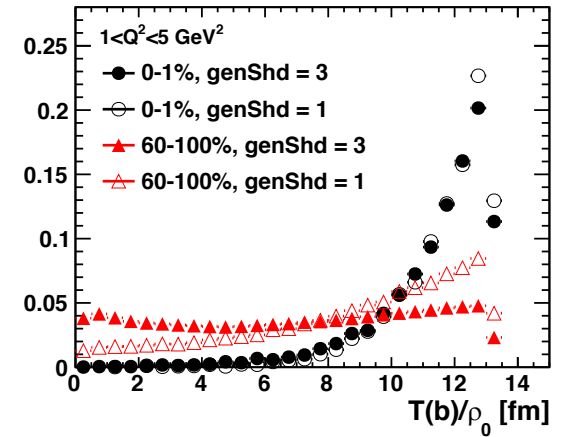
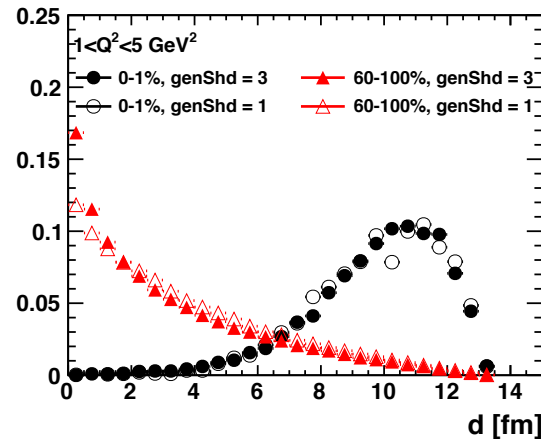
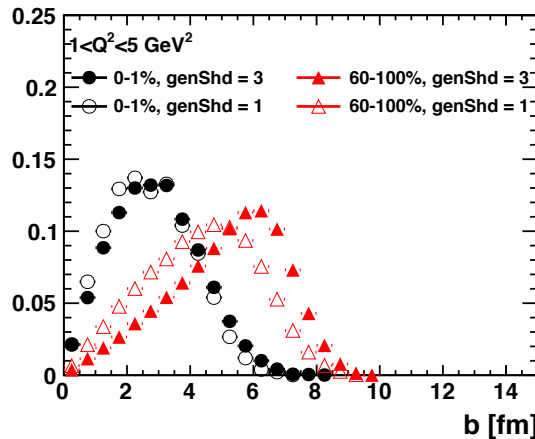


The model doesn't predict any difference for this two shadowing options for  $b, d, T(b)/\rho_0$  at high  $Q^2$ .

What will happen at low  $Q^2$ ? ➡

# Shadowing effect kinematics dependence

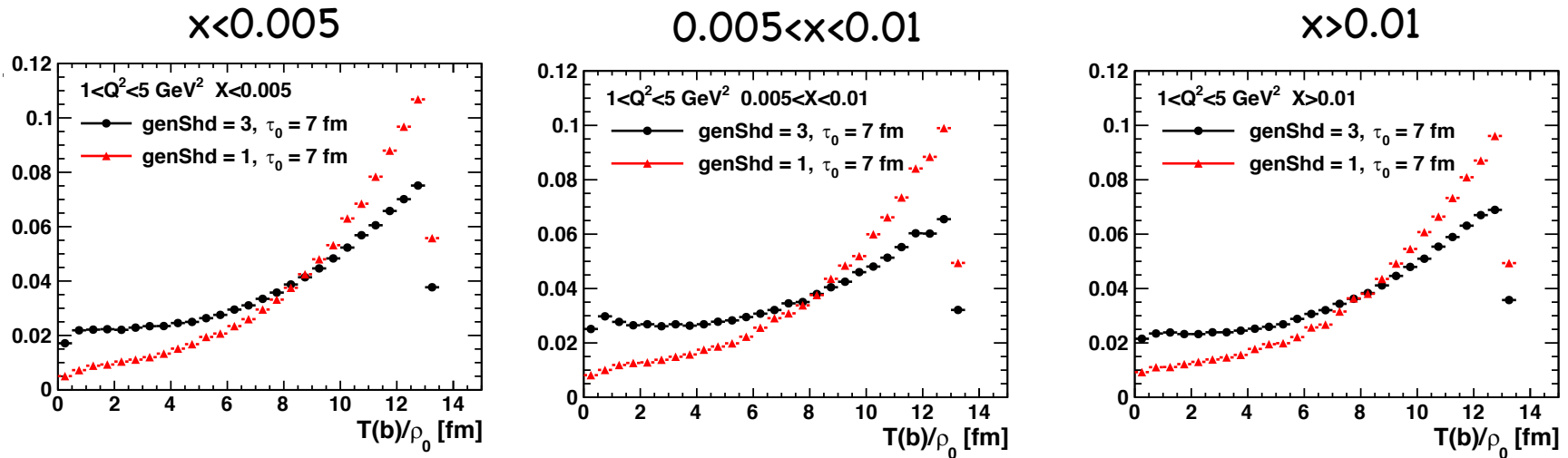
For low  $Q^2$ ,  $1 < Q^2 < 5 \text{ GeV}^2$ , the comparison of shadowing option 1 and 3 in **central** and **peripheral** collisions:



- The model **doesn't predict any difference** for this two shadowing options for  $b$ ,  $d$ ,  $T(b)/\rho_0$  in **central collisions**, there are some **small differences** predicted in the **peripheral collisions**.

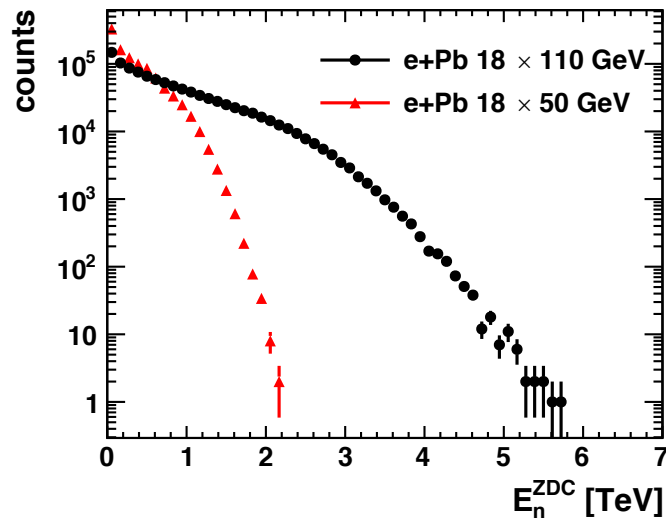
# Shadowing effect kinematics dependence

For low  $Q^2$ ,  $1 < Q^2 < 5 \text{ GeV}^2$ , the comparison of shadowing option 1 and 3 in different  $x$ -bins:  $x < 0.005$ ,  $0.005 < x < 0.01$ ,  $x > 0.01$



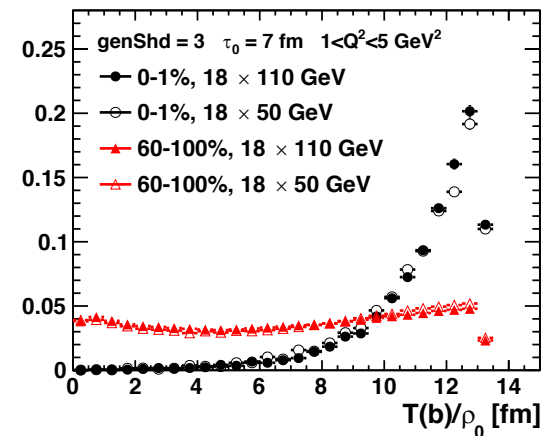
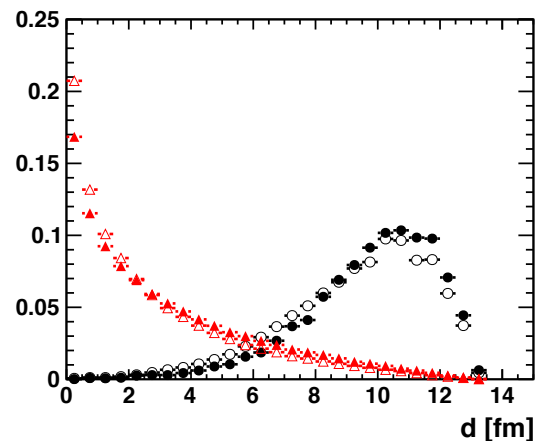
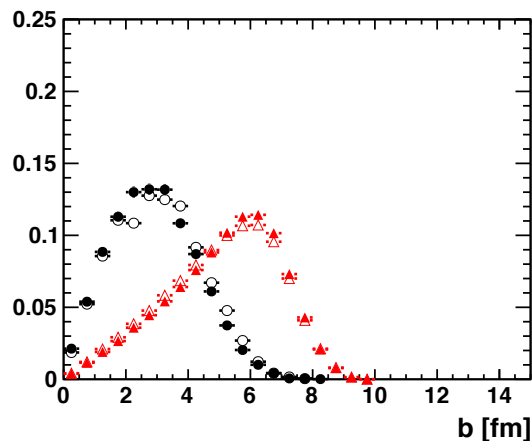
- The distributions in different  $x$  bins are almost identical.
- The model predicts no difference as a function of  $x$  for this two shadowing options.

# 110GeV vs. 50GeV



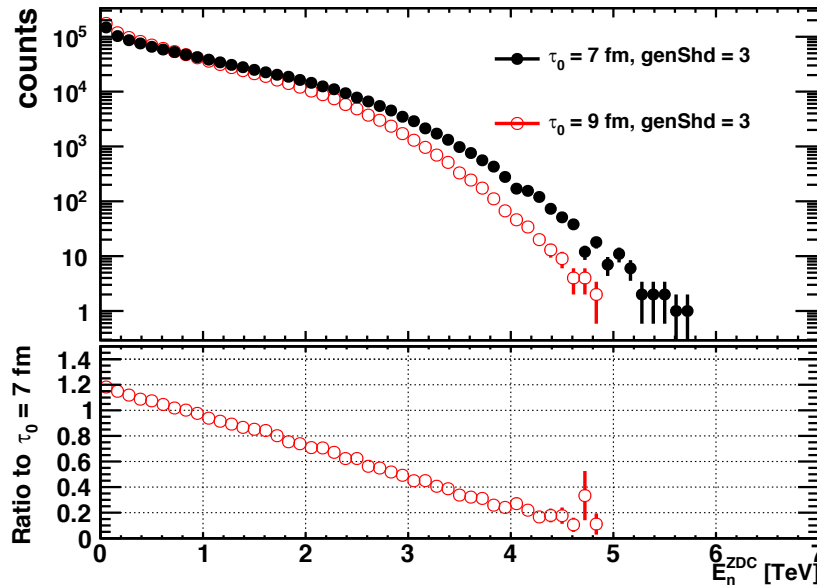
The energy deposition scales with beam energy.

- No difference between 110 GeV and 50 GeV in both **central** and **peripheral** collisions
- Centrality definition has no energy dependence.





# Formation time $\tau_0$



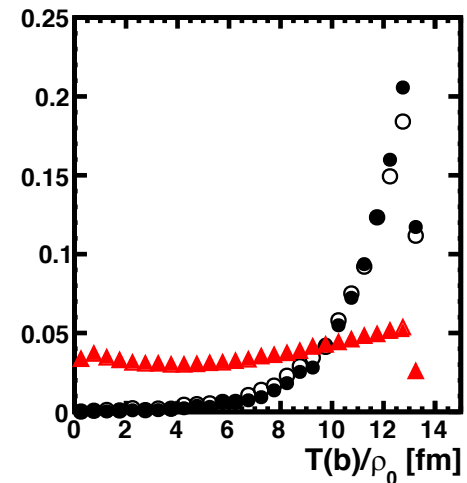
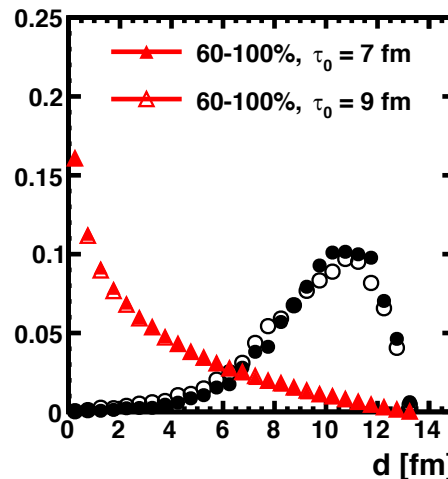
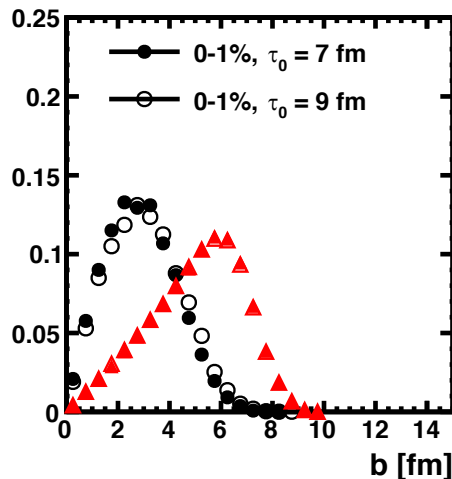
In DIS, the formation time  $\tau$  is defined as the time before newly created particles can be re-interact with the nucleons:

$$\tau = \tau_0 \frac{E}{m} \frac{m^2}{m^2 + p_{\perp}^2}$$

$\tau_0$  is a free formation length

$E$ ,  $m$ ,  $p_{\perp}$  are the energy, mass and transverse momentum

The longer  $\tau_0$ , the less number of neutrons evaporated.



- Centrality definition has no dependence on  $\tau_0$

# Summary

1. Centrality in eA can be defined by measuring the forward **neutron energy** deposition in **ZDC**. It does not require an extremely high energy resolution ZDC.
2. The current model only predicts some small difference for two shadowing options for  $b$ ,  $d$ ,  $T(b)/\rho_0$  distributions at **low  $Q^2$  in peripheral collisions**.
3. Centrality definition has no dependence on **beam energy** and  **$\tau_0$** .